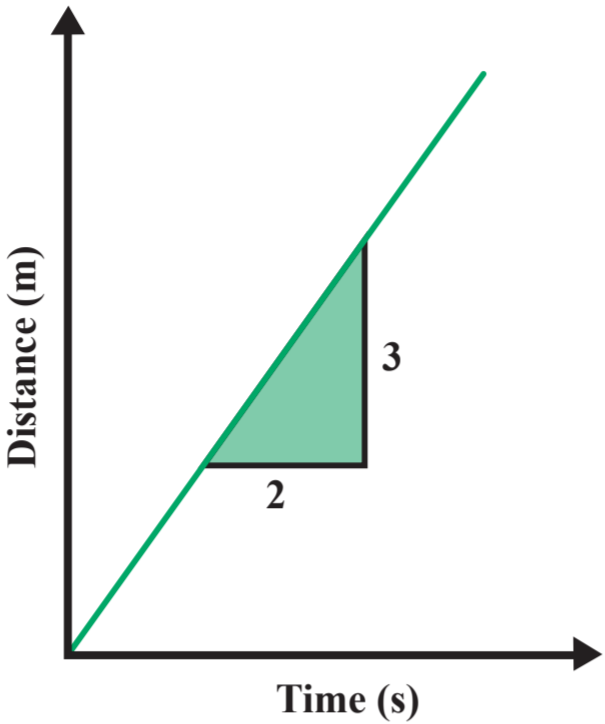


## Interpreting the gradient of a straight line graph as a rate of change

R15

On a **distance–time** graph, the gradient represents speed.

This graph shows **3 metres** have been travelled in **2 seconds**, or **1.5 metres** in **1 second** = 1.5m/s



## Know the exact values of $\sin \theta$ and $\cos \theta$ for $\theta = 0^\circ, 30^\circ, 45^\circ, 60^\circ$ and $90^\circ$ ; know the exact value of $\tan \theta$ for $\theta = 0^\circ, 30^\circ, 45^\circ$ and $60^\circ$

G21

angle $\theta$	$\sin \theta$	$\cos \theta$	$\tan \theta$
$0^\circ$	0	1	0
$30^\circ$	$\frac{1}{2}$	$\frac{\sqrt{3}}{2}$	$\frac{1}{\sqrt{3}}$
$45^\circ$	$\frac{1}{\sqrt{2}}$	$\frac{1}{\sqrt{2}}$	1
$60^\circ$	$\frac{\sqrt{3}}{2}$	$\frac{1}{2}$	$\sqrt{3}$
$90^\circ$	1	0	

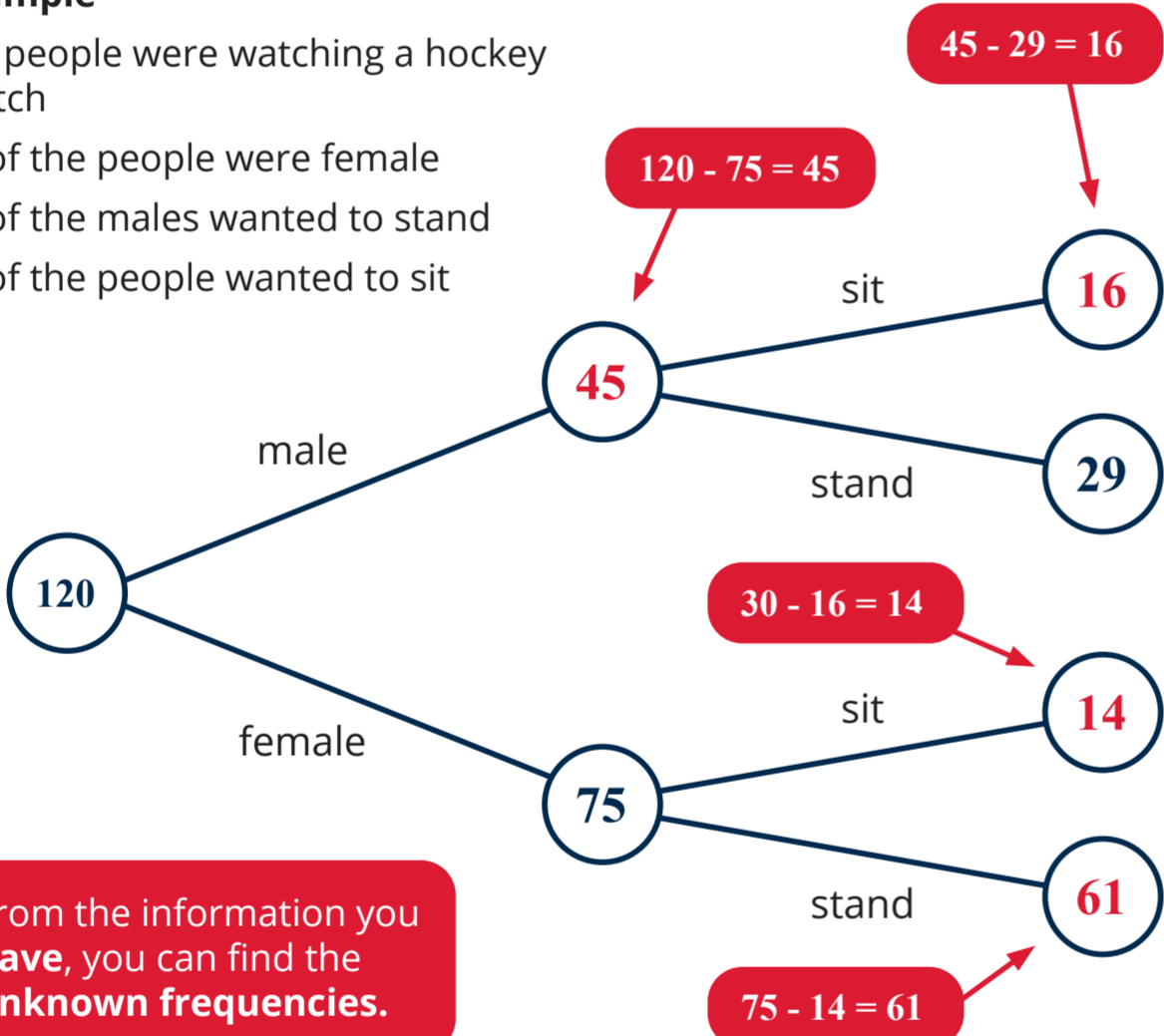
## Use frequency trees to record, describe and analyse the frequency of outcomes of probability experiments

P1

Frequency trees show the actual **frequency** of different events.

### Example

120 people were watching a hockey match  
75 of the people were female  
29 of the males wanted to stand  
30 of the people wanted to sit



From the information you **have**, you can find the **unknown frequencies**.

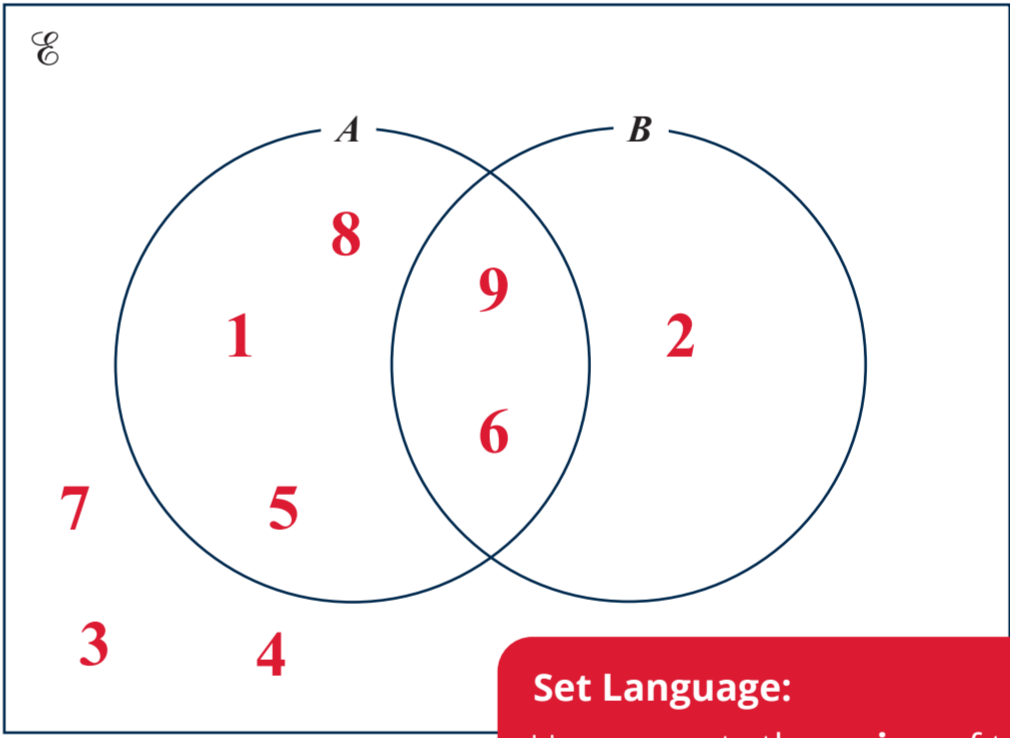
## Use Venn diagrams to enumerate sets and combinations of sets systematically

P6

Venn diagrams can be used to **organise** data or numbers.

### For Example:

$\mathcal{C} = \{1, 2, 3, 4, 5, 6, 7, 8, 9\}$   
 $A = \{1, 5, 6, 8, 9\}$   
 $B = \{2, 6, 9\}$



### Set Language:

$U$  represents the **union** of two sets.  
E.g.  $A \cup B = \{1, 2, 5, 6, 8, 9\}$   
 $\cap$  represents the **intersection** of two sets.  
E.g.  $A \cap B = \{6, 9\}$   
 $A'$  represents the numbers that are not in  $A$ .  
E.g.  $A' = \{2, 3, 4, 7\}$

## Express a multiplicative relationship between two quantities as a ratio or a fraction

R6

You can use information about the **relationship** between two quantities to find a ratio between them and write down some of the information as a fraction.

### Example

There are only **blue cars** and **red cars** in a car park.  
There are **twice** as many **red cars** than **blue cars** in the car park.  
Therefore, as a ratio the number of **red cars** in the car park : the number of **blue cars** in the car park = **2 : 1**  
and,  
the fraction of the cars in the car park that are **red** is  $\frac{2}{2+1} = \frac{2}{3}$

## Use of the product rule for counting

N5

The **product rule for counting** says If there are  $m$  ways of doing one thing and for each of these,  $n$  ways of doing another thing, then the total number of ways the two things can be done is  $m \times n$  ways.

### Example

Tim has 9 t-shirts and 4 pairs of shorts in his wardrobe. How many outfit combinations of t-shirt and shorts can be selected?  
 $\rightarrow 9 \times 4 = 36$

This rule can be extending for more than 2 categories.  
E.g. 9 t-shirts, 4 pairs of shorts and **5 caps**  
 $\rightarrow 9 \times 4 \times 5 = 180$  combinations